

# Embedded Zerotree Wavelet Image Compression using Source Polar Codes

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**Abstract**— The Embedded Zero tree algorithm (EZW) is a easy, yet notable powerful, image compression set of rules, having the assets that the bits within the bit flow are generated yielding a totally embedded code. The usage of an embedded coding algorithm, an encoder can terminate the encoding at any point permitting target distortion metric to be met exactly. also, given a bit circulate, the decoder can give up deciphering at any point within the bit circulation and still produce precisely the same image as encoded at the bit price similar to the reduced bit movement.

Based on the top notch rate distortion performance of polar codes we propose Embedded Zero tree wavelet image coding approach the use of source polar codes known as PCEZW (Polar Coded- Embedded Zero tree Wavelet). PCEZW may want to recognize a fee-distortion controllable lossless photograph compression with higher coding velocity, much less storage price range. It additionally gives the opportunity of parallel device of low-bypass sub -band and excessive-skip sub-band.

**Keywords**—Image Compression, Embedded Zerotree Wavelet, Polar Codes Embedded Zerotree Wavelet, Discrete Wavelet Transform.

## I. INTRODUCTION

Image Compression could be very critical for transmission and storage of images. It reduces the quantity of bits had to constitute an image by using putting off the spatial and spectral redundancies. Discrete wavelet transform (DWT) emerge as a reducing element generation in image records compression. Image compression is normally constructed from three essential steps. Firstly, the image is transformed into wavelet coefficients which may be then quantized in a quantizer and finally thresholded which makes the coefficient smaller than a chosen threshold fee (zero) received from the quantizer. As an end result, a few bits are decreased producing an output bit move.

This paper contributes to the implementation of EZW set of regulations with supply Polar Encoding where in approximated and detailed components are similarly decomposed if the sum of statistics content is tons less than the statistics content material of factor which has been decomposed. The main contribution of EZW encoding with Polar Encoder is that it visually improves the compression of an image via growing the decomposition degree eight.

Ryuhei Mori and Toshiyuki Tanaka[1] has stated that Polar coding, proposed via Arikan, makes it viable to construct capability-achieving codes for symmetric binary

input discrete memory less channels, with low encoding and deciphering complexity. Complexity at the first proposed code creation approach, however, grows exponentially in the block length until a channel is the binary erasure channel. Recently, the authors have proposed a brand new ability-attaining code creation approach with linear complexity within the block length for arbitrary symmetric binary-enter memory less channels. On, we evaluate performance of polar codes designed with the brand new creation method, and evaluate it with that of the codes built with another heuristic method with linear complexity proposed with the aid of Arikan.

Satish Babu and Rudiger L Urbanke [2] stated that lossy source compression of a binary symmetric supply the usage of polar codes and a low-complexity successive encoding set of rules currently proven with the aid of Arikan that polar codes reap the capability of arbitrary symmetric binary-input discrete memoryless channels below a successive interpreting approach. We show the equivalent result for lossy source compression, i.e., we display that this mixture achieves the price-distortion sure for a binary symmetric supply. We further display the optimality of polar codes for various multi terminal issues including the binary Wyner-Ziv and the binary Gelfand-Pinsker problems.

Koroda S B and Urbanke R [3] stated that Polar coding is a current channel coding technique invented by Arikan to achieve the ‘symmetric capacity’ of binary input memory less channels. In the end it turned into observed with the aid of Koroda and Urbanke that such codes also are right for lossy channel coding, accomplishing the ‘symmetric price distortion’ certain, whilst the representation alphabet is binary. On this be aware we increase this result to the case while the representation alphabet is q-ary, for q a top variety.

## II. SYSTEM ANALYSIS

### A. Existing system

In the past, many methods have been used for image compression such as Embedded Zero tree Wavelet with Huffman Coding. Image compression can improve the performance of the virtual systems by way of lowering time and cost in image garage and transmission without sizable reduction of the image excellent. For Image compression it is applicable that the selection of rework needs to lessen the dimensions of resultant data set as compared to source statistics set. EZW is computationally very rapid and most of the pleasant image compression set of rules recognized today.

### B. Proposed System

We propose the comparison study of the EZW (Huffman) and the PC-EZW (Polar Coded – Embedded Zero trees Wavelets) it will perform the embedding of the zero trees wavelet of the input image and performs the coding algorithm by applying the source polar codes. PC-EZW and EZW (Huffman) differs in the sub band co-efficient operations. The PC-EZW performs the DPCM encoding by adopting the low pass coefficients each will send the bits to the polar encoder, and Significance Mapping will perform in the high pass filter.

## III. METHODOLOGY

The methodologies used in this work are as follows:

### A. Discrete Wavelet Transform

Wavelets are improved in localizing edges and also higher within the use of the other anomalies. Yields few of the non-zero coefficients and additionally many more form of the zero coefficients. Issue telling decoder exactly “in which” and the way the few non-zeros are. Significance map (SM) binary array bit are indicating the place of the zero or non-zero coefficients. It requires a massive cost normally based totally on a fraction of bit underneath the fee of the budget for specifying the SM. Wavelets allows a shape primarily based on the Zerotrees to the SM that yields the efficient coding.

### B. Zero tree Coding

A wavelet redesign transforms a sign from the time area to the joint time-scale place. i.e. the wavelet coefficients are -dimensional. To compress the transformed signal no longer fine the coefficient values, however additionally their function in time wishes to be coded. When the sign is an image then the place in time is higher expressed because the vicinity in area. After wavelet remodeling an image it is able to be represented using the sub sampling that is completed in the remodel. Zero tree root (ZTR) it is a low scale “zero-valued” bit rate within the pixel coefficient for which the associated better-scaled values of the coefficients are handled as “0-valued”. Specifying a ZTR based totally EZW image compression by means of the usage of the Polar encoder. In the EZW the zero out of all the related better-scale valued coefficients stored. The image enhancement technique is different from one field to another field according to its objective.

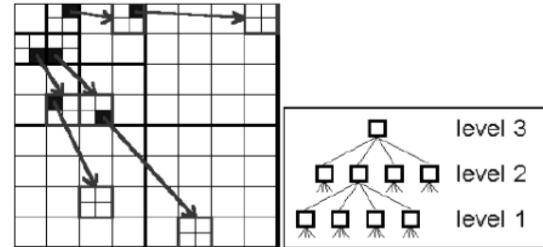


Figure 1.Relationship between Wavelet Coefficients in the sub band

### C. EZW Encoding

EZW encoder becomes first designed to operate on images (2D-signals) however it is able to also be used on other dimensional signals. It's far based totally on revolutionary encoding to compress an image into a piece stream with increasing accuracy, which means while extra bits are brought to the move, the decoded image will incorporate extra detail, a assets similar to JPEG encoded snap shots. The usage of an embedded coding set of rules, an encoder can terminate the encoding at any factor thereby permitting a goal charge or target accuracy to be met exactly. The EZW set of rules is based totally on four key standards:

- 1) A discrete wavelet rework or hierarchical sub band decomposition.
- 2) Prediction of the absence of full-size formation across scales with the aid of exploiting the self similarity inherent in Images.
- 3) Entropy coded successive approximation quantization.
- 4) Usual lossless facts compression that is executed through adaptive Huffman encoding.

### D. Huffman Coding

Huffman coding is classical facts compression strategies invented by using David Huffman. Its miles most desirable prefix code generated from set of chances and has been used in various compression applications. Those codes are of variable code period using crucial wide variety of bits. This idea reasons a reduction in the common code period and for this reason general size of compressed statistics is smaller than the unique. Huffman's set of rules furnished the first technique to the problem of constructing minimal redundancy codes. The Huffman algorithm is primarily based on statistical coding, because of this that the probability of an image has an immediate bearing on the period of its representation. The more possibly the incidence of an image is, the shorter could be its bit-size representation. The use of binary representation, the range of bits required to symbolize each code relies upon the number of characters that ought to be represented. Using one bit we are able to represent two characters, i.e., 0 represents the primary individual and 1 represents the secondary individual.

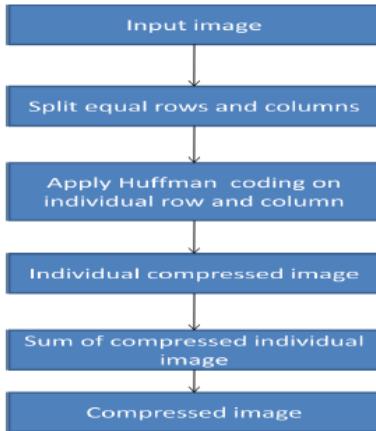


Figure2. Huffman Coding

#### E. Source Polar Codes

Attains the potential of all symmetric reminiscence less channels (the ones for which the potential is attained for a uniform enter distribution). With an encoding algorithm of complexity  $O(N \log N)$  ( $N$  = code duration). With an interpreting algorithm of complexity  $O(N \log N)$ .  
 (1) Polar Encoding Algorithm:

**Length:**  $N = 2n$ , dimension:  $0 \leq k \leq N$ .

Choosing an ensemble  $F$  of size  $N - k$  of positions  $\subset \{0, \dots, N - 1\}$  fixed to 0.

$B_t$  = subset of  $\{0, \dots, N - 1\}$  whose  $t$ -th bit is equal to 0.

**Input:**  $u \in \{0, 1\}^N$ ,  $u_i = 0$  if  $i \in F$ .

**Output:**  $x$  the codeword corresponding to  $u$ .

$x \leftarrow u$

for  $t = 0$  to  $n - 1$  do for all  $i \in B_t$  do

$x_i \leftarrow x_i \oplus x_{i+2^t}$

end for

end for

return  $x$

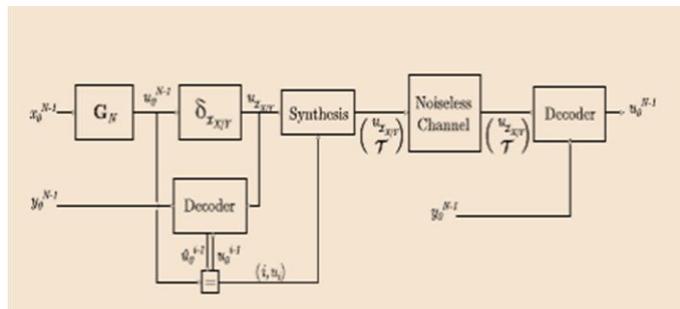


Figure3. Polar Encoder

#### (2)Polar Decoding Algorithm

**Input:**  $y \in \mathbb{A}^N$  output of the channel corresponding to codeword  $x$

**Output:** an estimate  $\hat{u}$  for  $u$ .

for all  $i \in \{0, 1, \dots, N - 1\} \setminus F$  do

Compute  $\pi_i$  def = Prob ( $u_i = 1 | y, \hat{u}^0, \dots, \hat{u}^{i-1}$ )

if  $\pi_i > 0.5$  then  $\hat{u}^i = 1$

else

$\hat{u}^i = 0$

end if

end for

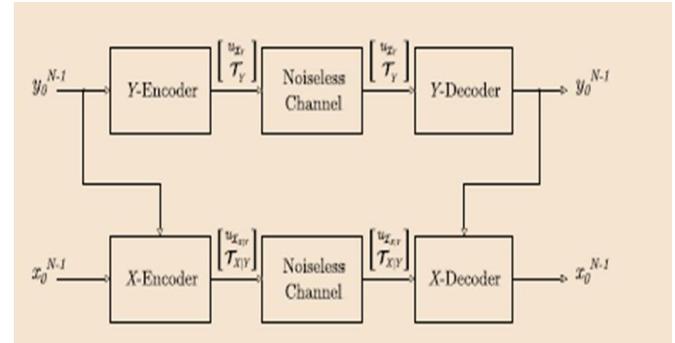


Figure4. Polar Decoding Algorithm

The input vector  $X^{N-1} 0$  is polarized by this transformation in the following sense:

$$\frac{|\{i : H(U_i|U_0^{i-1}, Y_0^{N-1}) \in [0, \delta]\}|}{2^n} = 1 - H(X|Y),$$

$$\frac{|\{i : H(U_i|U_0^{i-1}, Y_0^{N-1}) \in (1 - \delta, 1]\}|}{2^n} = H(X|Y), \quad (1)$$

For any given  $\delta > 0$ , and  $n \rightarrow \infty$ . Here the default base of the threshold function is chosen as  $q$ . Let bit rate  $R \in (0, 1)$  be a given rate. The set of indices corresponding to the  $r$  highest  $H(U_i|U_{i-10}, Y^{N-1} 0)$  terms is defined as the information set:

$$\mathcal{I}_{X|Y}(N, R) = \{i \in \{0, 1, \dots, N - 1\} : H(U_i|U_0^{i-1}, Y_0^{N-1}) \geq \delta(r)\} \quad (2)$$

$$\mathbb{E}[R] = \frac{1}{N} \left\{ |\mathcal{I}_{X|Y}| + \sum_{i \in \mathcal{I}_{X|Y}^c} \pi(U_i|U_0^{i-1}, Y_0^{N-1}) \cdot [\log N + 1] \right\}. \quad (3)$$

The polar code ensemble  $C_N(F)$ , defined for any  $F \subseteq \{0, 1, \dots, N - 1\}$ , denotes the ensemble.

$$C_N(F) = \{C_N(F, u_F), \forall u_F \in \mathcal{X}^{|F|}\}. \quad (4)$$

(3) Dominant Pass: Coefficients on Dominant list are compared to  $T_i$ . For every co green that has now emerge as large (POS or NEG) placed its significance at the Subordinate listing and do away with it from the Dominant list Entropy Code using an Adaptive AC. The resulting importance map is zero tree code and dispatched code importance the usage of four symbols: Zero tree Root (ZTR), high-quality huge (POS), Remote zero (IZ), Terrible vast (NEG).

(4)Subordinate pass: Provides subsequent decrease big bit at the importance of each co efficient on Subordinate listing. Halve the quantizer cells to get the subsequent finer quantizer. If value of coefficient is in upper half of vintage cell, offer "1". If significance of coefficient is in lower 1/2 of old cell, offer "zero". Entropy code sequence of refinement bits the usage of an adaptive AC. Prevent when general bit finances is exhausted. Encoded circulate is an embedded circulation. In

the beginning you get an “optimum” low charge version. As more bits come you get a successively better distortion. Can terminate at any time prior to reaching the “full-fee” model.

#### IV. PROPOSED SYSTEM ARCHITECTURE

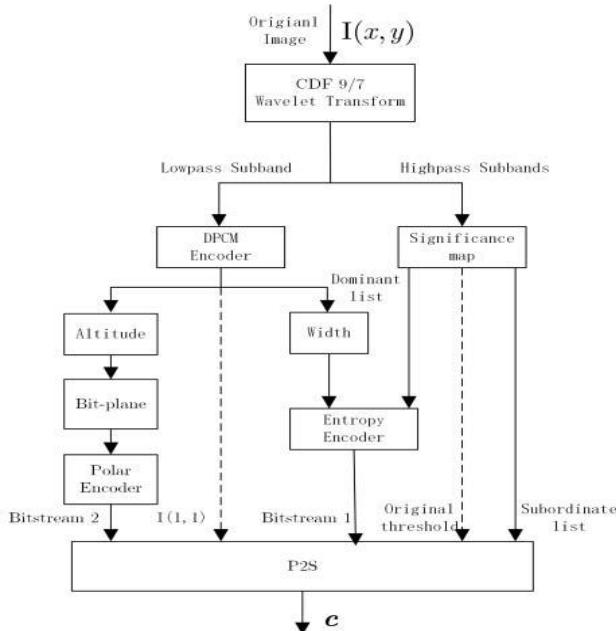


Figure 5. Proposed System Architecture.

The source polar codes are most beneficial for lossless coding; we proposed a polar coded embedded zerotrees wavelet image compression algorithm, that is known as PCEZW. PCEZW does DPCM encoding in low pass coefficients and sends the bit stream to a polar encoder, in the meantime scans the good sized map and encodes zerotrees in high pass. The low pass sub band coefficients make contributions most of the distortion, meanwhile the high pass sub band coefficients save a massive of details. So primarily based at the splendid fee distortion overall performance of source polar codes, PCEZW could recognize a rate distortion controllable lossless image compression. The relaxation of the sub bands will do EZW significance map scanning and output dominant list and subordinate list.

#### V. EXPERIMENTAL RESULTS.

Initial GUI of the proposed work is shown in below figure, first step is the uploading the image. User can select the images from the “image” folder. Click on the “LOAD IMAGE” to select the image from the image folder whose compression is performed. On selection of the image, image will be displayed, this image gets uploaded and store in the database. The upload image will insert into the load image.

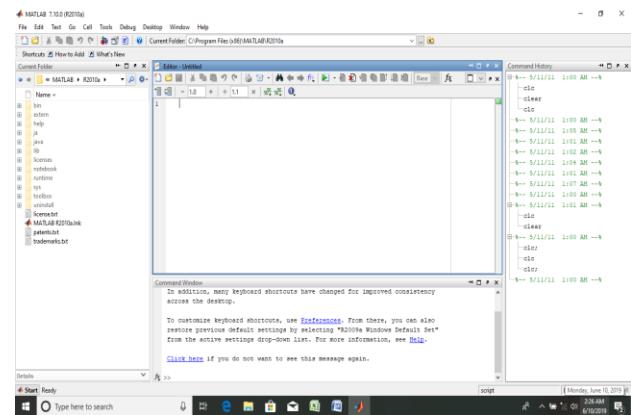


Figure 6. GUI of the proposed work

First of all, authentic image is carried out to the compression application, EZW encoded image is gain, which is further compressed the usage of PCEZW Encoding. To reconstruct compressed photo, compressed picture is carried out to decompression software, by using which EZW decoded picture is acquired. Compression Ratio (CR) and top-signal-to-Noise Ratio (PSNR) are received for the authentic and reconstructed photographs. in the test the unique photograph „Cameraman.tif“ having length 256 x 256 (65,536 Bytes).

The curves of PNSR Vs Significance Coefficient have been calculated and depicted in the fig 7 and 8 respectively. In which Image encoded using EZW (Huffman) and PCEZW algorithm for 8 level decomposition are compressed. Thus it states that PCEZW Image Compression is more advantageous.

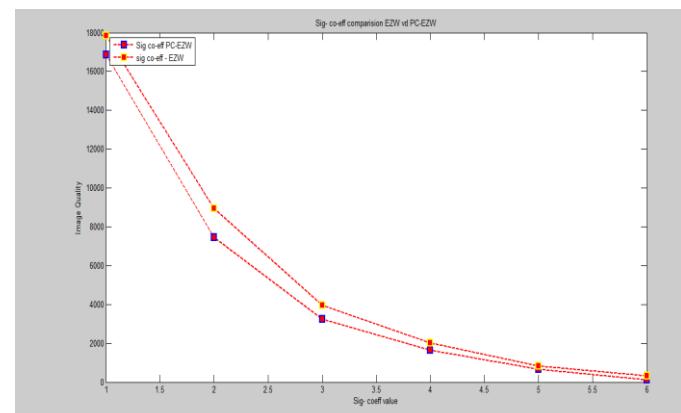


Figure 7. Graphical comparison of EZW (Huffman) and PCEZW Algorithm showing Significance Coefficient

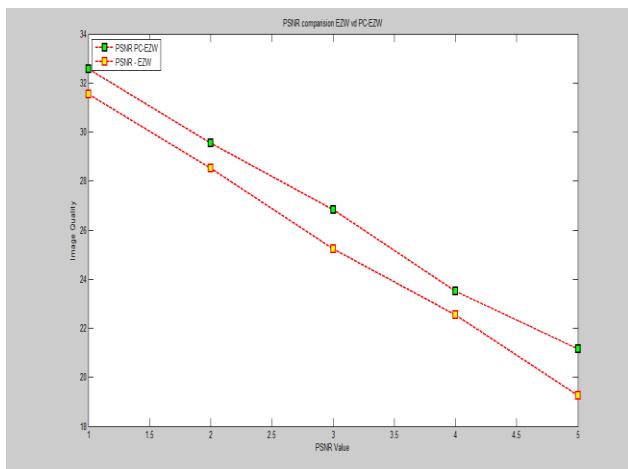


Figure8. Graphical Comparison of EZW (Huffman) and PCEZW Algorithm showing PSNR

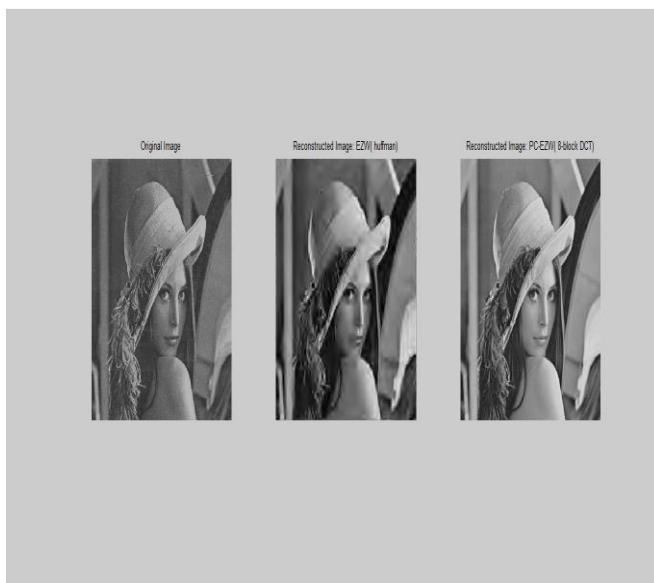


Figure9.Final Result sowing the Coding by using the EZW (Huffman) and PC EZW (8-blocks) coding algorithms.

## VI. CONCLUSION

In this work a method for image compression which uses the Wavelet primarily based image Coding in aggregate with Huffman and Polar codes is proposed right here. This method makes use of zero tree shape of wavelet coefficients at decomposition stage with Polar codes may be very correctly, which ends up in better compression ratio and higher PSNR. The compression performance of this method takes an advantage of the price distortion assets of source polar codes. In the meantime PCEZW has less garage budget and maintains the gain of particular fee manages this is carried out in EZW (Huffman). PCEZW and EZW (with Huffman) differs inside the sub band co-efficient operations the pc-EZW performs the

DPCM encoding by way of adopting the low bypass coefficients every will send the bit streams to the polar encoder, and significance Mapping operation is carried out in the high pass clear out.

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